

Triaxial Residual Stress Effects in Fracture

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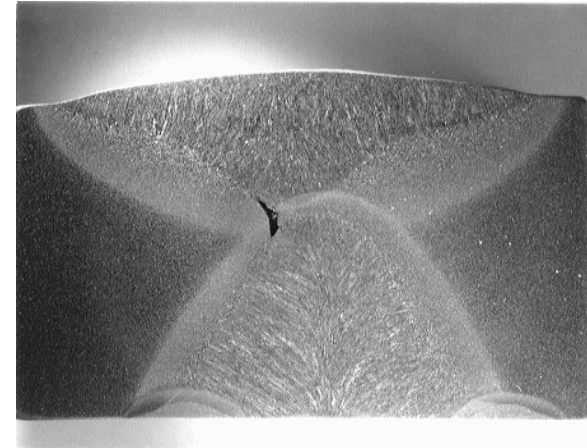
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Weld Fracture

- ❑ Defects provide location for fracture initiation
- ❑ Residual stress impacts fracture process
 - ◆ Opening stress
 - ◆ Driving Force
- ❑ Non-linear interaction of applied and residual stress at the crack-tip
 - ◆ Crack-tip yielding in metals
 - ◆ Residual stress (RS) can impact constraint



Outline

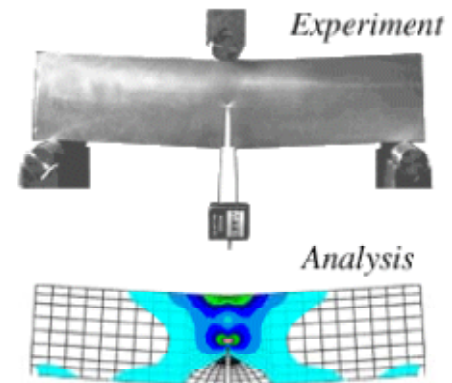
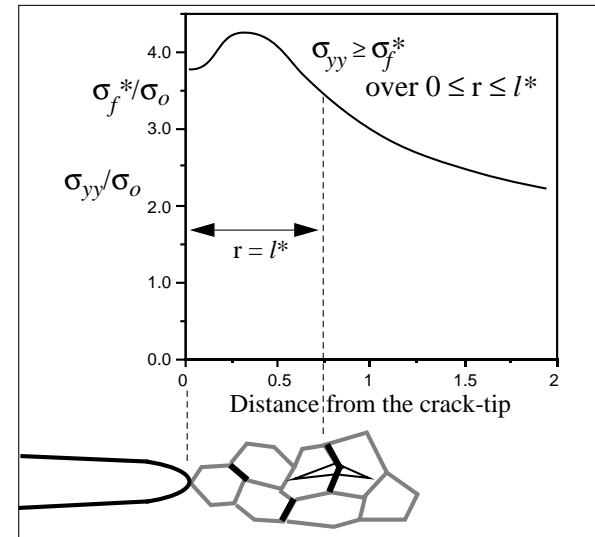
- ❑ Predicting RS effects in fracture
 - ◆ Computational framework
 - ◆ Micromechanical fracture models
 - ◆ J - Q theory
- ❑ Example applications
 - ◆ Brittle fracture in welded pressure shell
 - Computation only
 - ◆ Ductile fracture in locally-compressed bend bars
 - Experiment and computation
- ❑ Discussion

Computational Framework

- ❑ Elastic-plastic finite element modeling
 - ◆ Incremental, J_2 plasticity and finite strain
 - ◆ Resolve stress and strain close to the crack-tip
- ❑ Employ micromechanical damage models
 - ◆ Continuum material response assumed
 - ◆ Crack-tip state used directly to predict fracture
- ❑ Include residual stresses
 - ◆ Eigenstrain
 - ◆ Direct process simulation
- ❑ Interpret results using J - Q theory
 - ◆ Quantify driving force *and* constraint effects

Brittle Micromechanical Model

- ❑ RKR model for cleavage
 - ◆ Critical stress for fracture, σ_f^*
 - ◆ Microstructural length scale, l^*
- ❑ FEM provides crack-tip stress
- ❑ Calibration of σ_f^* and l^*
 - ◆ Testing and computation
- ❑ Micromechanics defines fracture
 - ◆ J_c and Q known from computation



Ductile Micromechanical Model

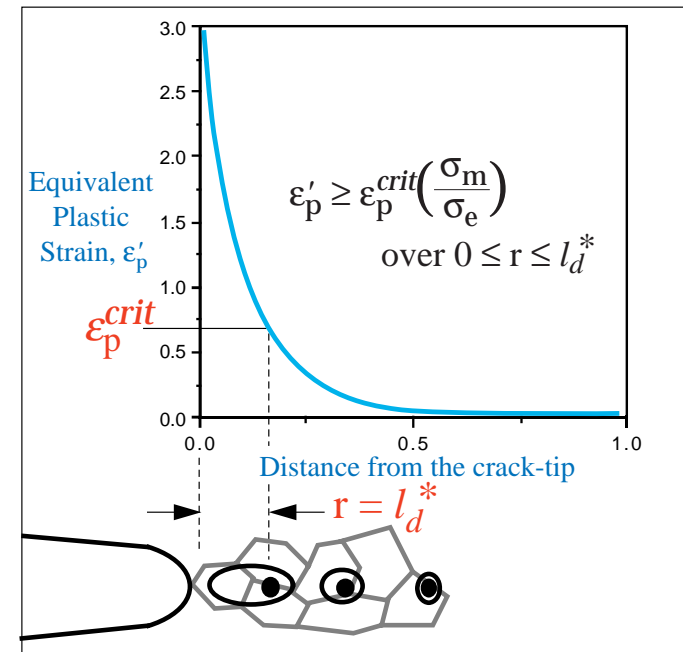
□ Stress-modified critical strain (SMCS)

- ◆ Plastic strain to failure ε_p^{crit}
 - Void growth driven by ε'_p
 - Depends on triaxiality (σ_m/σ_e)
- ◆ Length scale, l_d^*

□ FEM provides crack-tip stress and plastic strain

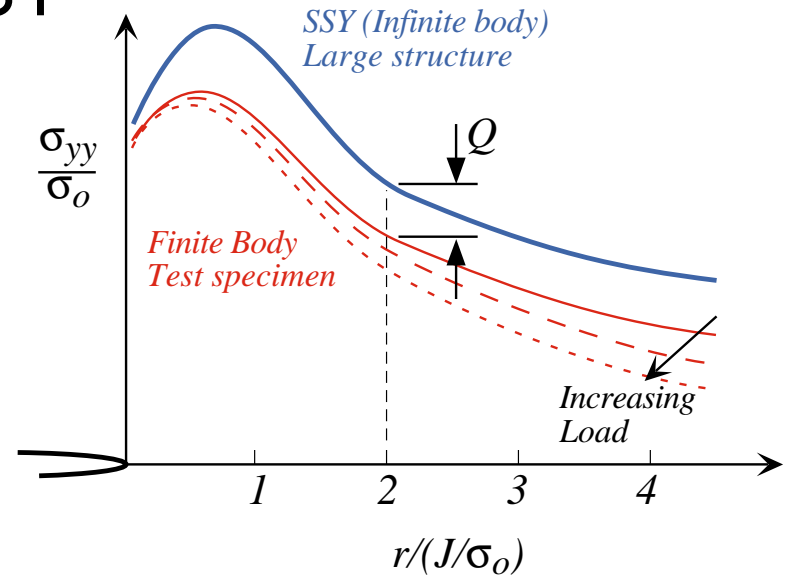
□ Calibration

- ◆ Notched tensiles give $\varepsilon_p^{crit}(\sigma_m/\sigma_e)$
- ◆ Fracture specimens give l_d^*



J-Q Theory

- ❑ Crack-tip stresses are *not* predicted by J if constraint varies from SSY
- ❑ Constraint altered by:
 - ◆ Size
 - ◆ Loading mode
 - ◆ Crack geometry
- ❑ Define the parameter Q
 - ◆ Difference in opening stress @ same J and $x = n(J/\sigma_o)$; $n = 2$ to 5
 - ◆ Usually negative
- ❑ J and Q together describe crack-tip stress

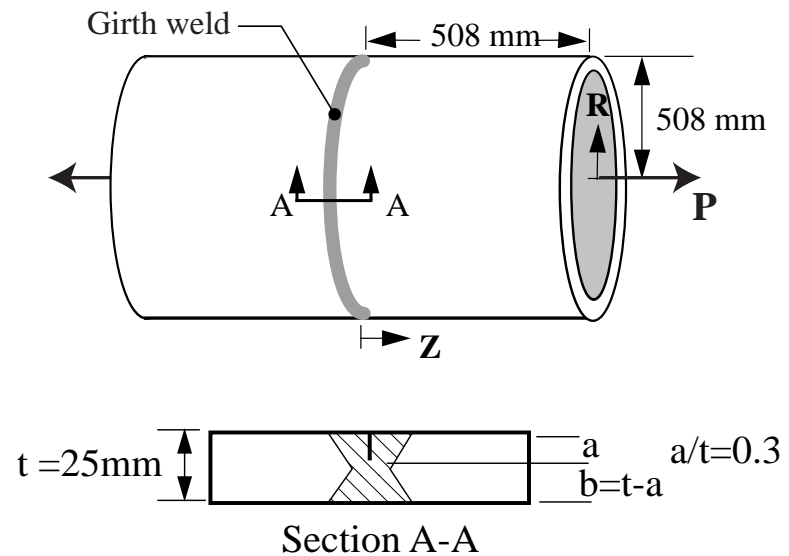


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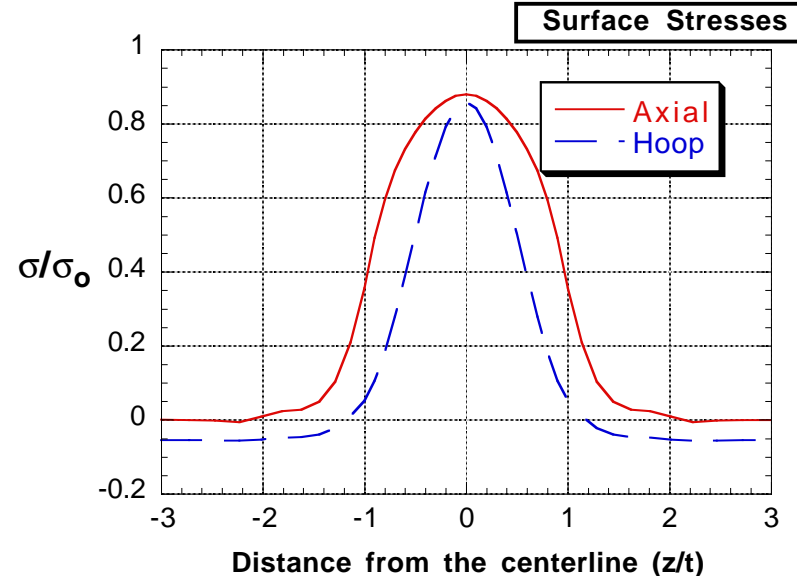
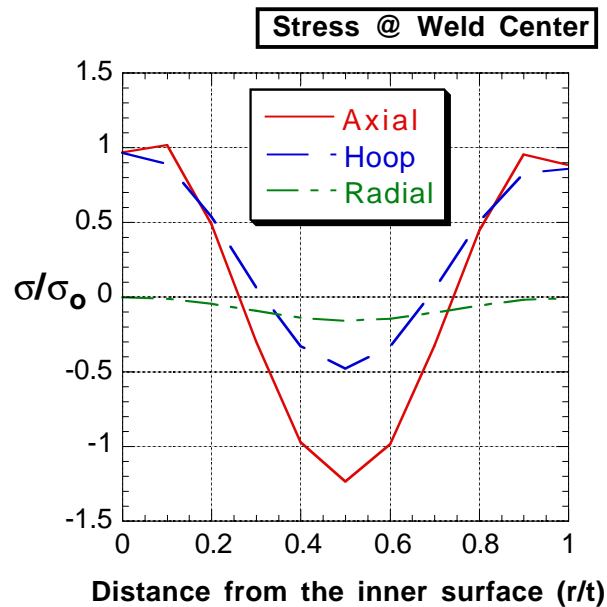
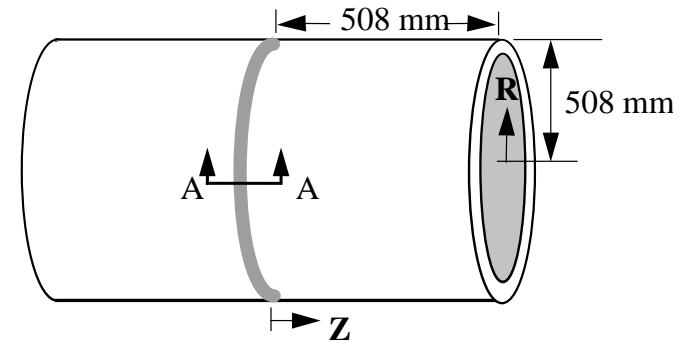
Example: Fracture of a Welded Shell

- ❑ Large diameter, thin-walled structure ($R_o/t = 20$)
 - ◆ Mild steel (A516-70)
 - Yield: $\sigma_o = 300$ MPa
 - ◆ Two-sided girth weld
 - ◆ Axial load
- ❑ External girth flaw
 - $a/t = 0.3$
- ❑ Cleavage fracture
 - ◆ RKR micromechanical model:
 - $\sigma_f^* = 3.5\sigma_y$ and $l^* = 3$ grain diameters
- ❑ Analyze with and without RS



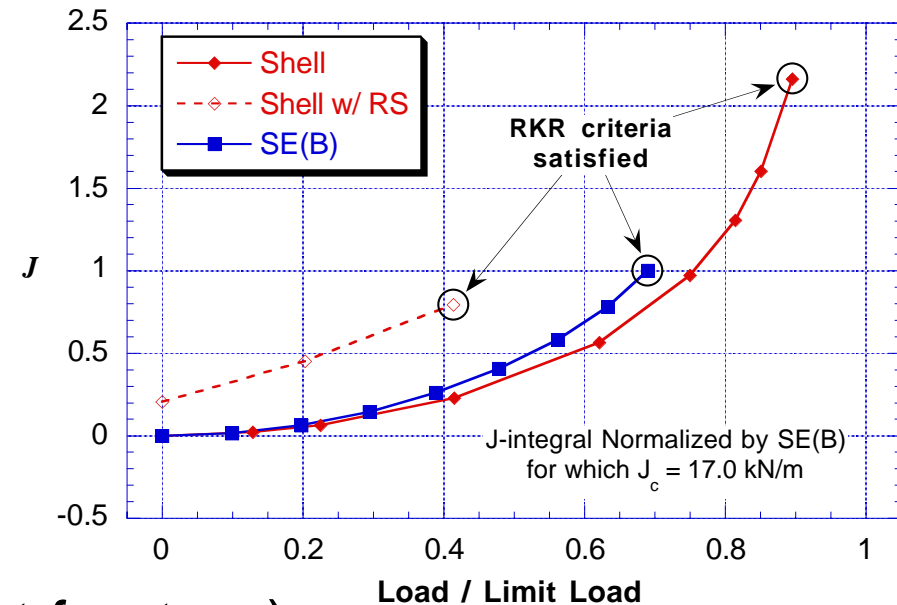
Residual Stress in Welded Shell

- Residual stress assumed independent of θ
- Stress computed by imposing eigenstrain

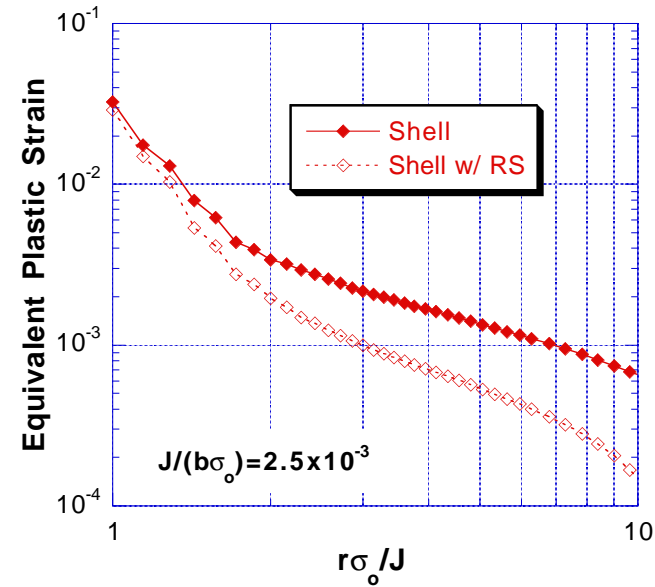
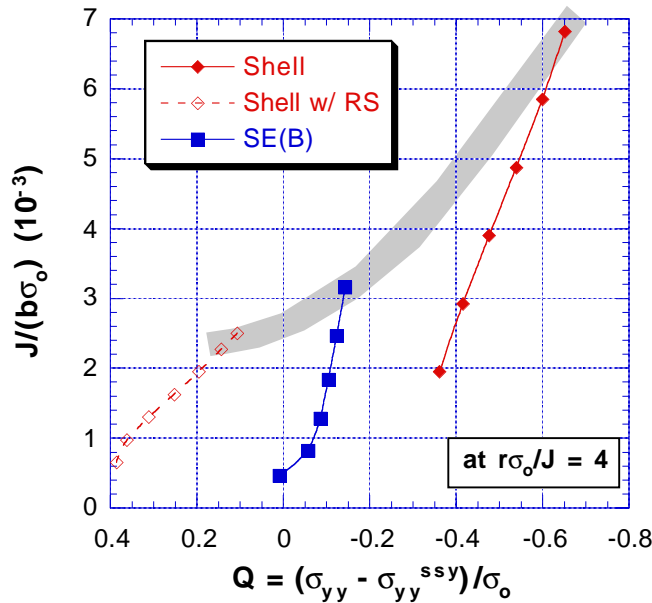


Welded Shell - Global Results

- ❑ RS alters J -integral
 - ◆ Driving force
- ❑ RS alters both load and J at fracture
- ❑ RS causes
 - ◆ 54% drop in P_c (load at fracture)
 - ◆ 63% drop in J_c (J at fracture)
- ❑ J_c is about 20% less than SE(B) with $a/W = 0.3$



Welded Shell - Local Results

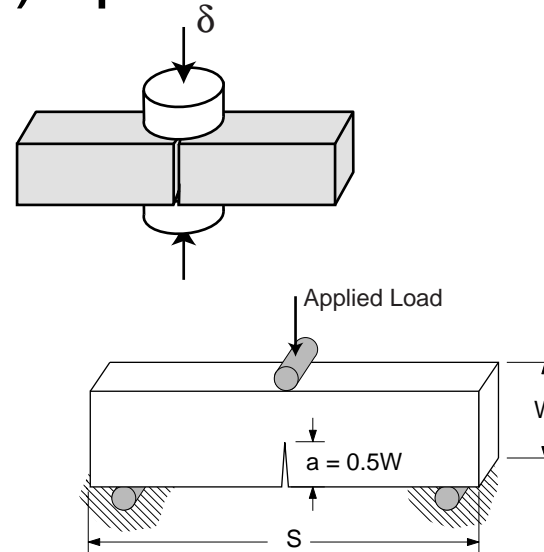


- ◆ J - Q analysis quantifies constraint change
- ◆ Residual stress *increases* constraint
- ◆ Low-constraint geometry *and* a well-constrained crack-tip field (\sim SSY)
- ◆ SE(B) does not bound behavior

Example: Locally-compressed SE(B)'s

□ Locally-compressed, SE(B) specimens

- ◆ 7050 T7415 aluminum
 - $S_y = 530$ MPa
- ◆ Standard SE(B) specimens
 - $W=25$ mm
 - $S/W = 4$
 - $a/W = 0.5$
 - $B \times 2B$ ($W=2B$) and $B \times B$



□ Low-energy ductile fracture

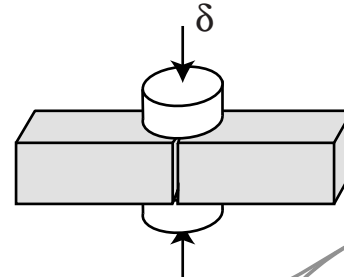
- ◆ SMCS micromechanical model:
 - $\epsilon_p^{crit}(\sigma_m/\sigma_e)$ from notched tensiles, $l_d^* = 150\mu$

□ Test and compute

Residual Stress in SE(B)'s

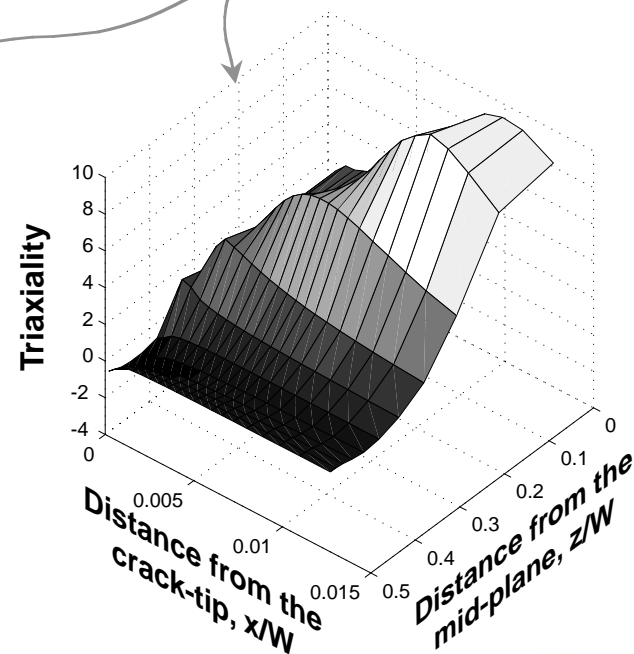
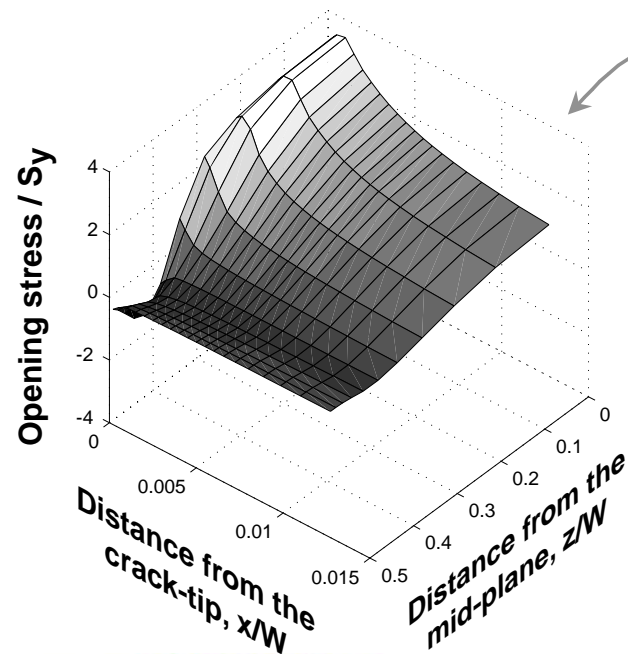
Residual stress from direct simulation

- ◆ Positive driving force
- ◆ Triaxial RS field



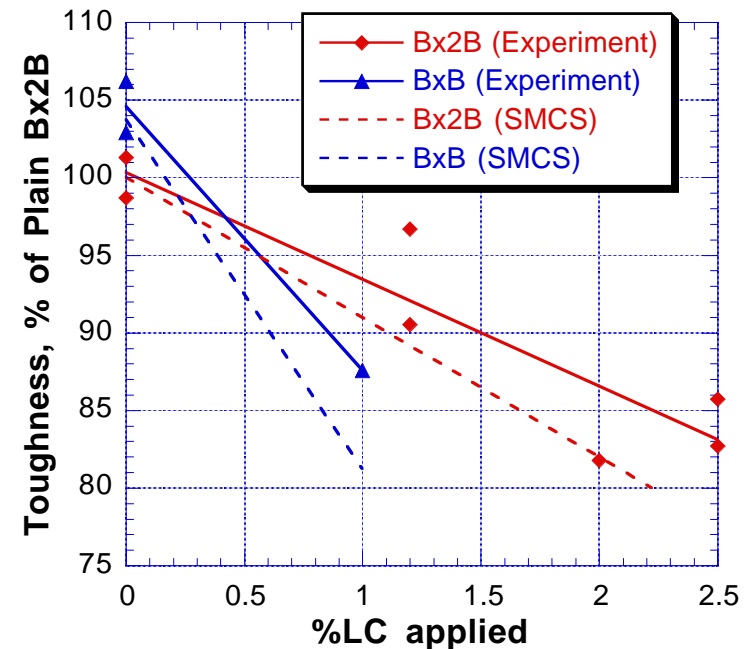
Analysis Steps:

1. Compress
2. Release
3. Extend Crack
4. Apply Load



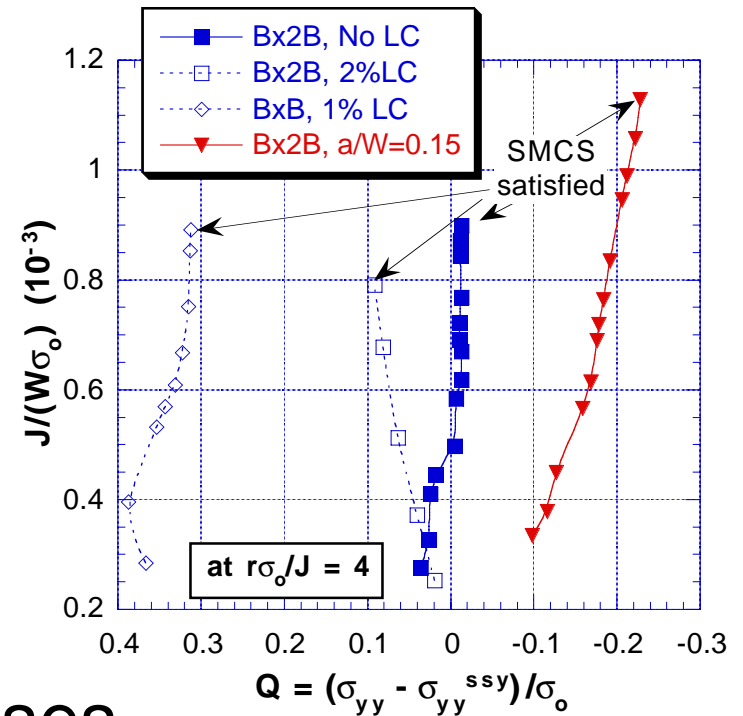
Compressed SE(B)'s - Global Results

- Toughness determined using ASTM E399, K_Q
 - ◆ Based on load, geometry
- LC reduces toughness
 - ◆ Effect larger in BxB
 - ◆ Combination of driving force and constraint
- Computational results plotted using P_c
 - ◆ All crack-lengths the same
- SMCS over-estimates the effect of LC



Compressed SE(B)'s - Local Results

- Compression increases crack-tip constraint
- Effect of constraint change varies
 - ◆ Bx2B: reduced J_c
 - ◆ BxB: no change in J_c
- Load drop has different causes
 - ◆ Bx2B: driving force and constraint
 - ◆ BxB, 1%LC: driving force only



Conclusions

- ❑ Framework described fully accounts for RS
 - ◆ Models non-linear interaction of crack-tip fields
 - ◆ Predicts fracture using the crack-tip fields directly
 - ◆ Residual stress effects distinguished
 - Driving force *and* constraint
 - ◆ Predicts laboratory test results
- ❑ Residual stress changes constraint
 - ◆ Second effect, in addition to driving force
 - ◆ Ignored by superposition
 - ◆ Can lead to non-conservative assessment
 - Toughness does not follow from geometry
 - Shell: SSY field in low-constraint geometry